# Realtime Motion Compensation for ROV-based Tele-operated Underwater Manipulators

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Abstract—This paper presents a novel underwater movement compensation algorithm for stabilization of manipulator position utilizing not ROV movements for disturbance comensation, but overlaid manipulator movements. A model based estimator is used to predict vehicle movement and provide the manipulation system with the necessary time to compensate for the estimated motion. It describes the conceptual benefits of this approach compared with common station-keeping algorithms, and shows how previous methods can be combined with the new approach in order to further improve manipulator position accuracy. The method is validated in a number of experiments, which show its feasability and outstanding performance.

## I. INTRODUCTION

ROV-based manipulators are one of the few possibilities to manipulate objects in the deep sea environment. With increasing demand for facilities and structures in depths beyond the access of human divers and the increasing complexity of such structures, the challenges and applications for manipulator systems are steadily increasing. In order to match these requirements either new manipulation paradigms or novel control systems are imperative. This paper focuses on the possibility to assist human operators in complex tasks executed with ROV-based tele-operated manipulators by introducing a motion-compensation layer between the operator and the manipulator, greatly improving the performance of such systems.

# II. PROBLEM ANALYSIS

A ROV-based manipulator system suffers the problem of two coupled high-DOF systems: the 6 DOF ROV platform plus the (usual) 4-7 DOF manipulator. In a Heavy-Workclass ROV these two systems typically are operated by two individual operators, one steering the ROV and the second performing the tele-operated manipulation. One of the main tasks of the ROV-operator is keeping the ROV as steady as possible to avoid additional movement of the manipulator, especially the endeffector of the manipulator, since this is the interaction point with the environment. From a manipulation perspective these added 6 DOF severely aggravate the manipulation problem, and need to be kept as small as possible.

This problem may be addressed in two different ways: either by keeping the ROV's position as stable as possible using station keeping algorithms or else by recognizing and compensating for the ROV movement by correction of the manipulator end-effector position. The former has been topic of intense research, and a number of well-performing methods exist (e.g. [1], [2], [3]). ROV motion compensation using the manipulator is scarcely seen in underwater systems, since manipulator systems are usually directly tele-operated, with little to no computer control, making automated compensation algorithms difficult to implement. In principle such an algorithm should outperform a station-keeping algorithm, since a manipulator generally has more dynamic movement properties than a ROV. This should result in higher precision of the movement compensation. The implementation and evaluation of a manipulator based compensation algorithm is the topic of this paper.

The general problem with underwater manipulators is their inadequacy in respect to computer control. Designed as teleoperated master-slave systems for harsh environments and rough manipulation tasks they lack the precision and sensory feedback of industrial manipulators, making the transfer of algorithms from traditional manipulation systems to underwater manipulators very difficult. The direct consequence is that widespread hydraulic underwater manipulators are hardly used for research on manipulation topics. Either customized manipulation systems are utilized (e.g. the 500m rated dualarm workcell of the AMADEUS phase II project [4] or the electric MARIS 7080 in the SAUVIM project [5], [6], [7]), or during experimental validation phases industrial robots are used (e.g. [8] describes a visual servoing algorithm for uninstrumented underwater manipulators which is tested on an industrial manipulator). Both workarounds suffer from severe drawbacks: Using custom manipulator systems prevents application of the developed algorithms on commercial underwater vehicles, since the capabilities of the manipulator systems differ. Designing algorithms for exisiting underwater manipulators but testing them only on industrial manipulators merely achieves a 'proof of concept' validation, saying little about the transferability to the original target system even if the different manipulator capabilities are tried to account for. These considerations are the reason that the authors design and test their algorithms on a real underwater manipulator, the hydrualic Schilling Robotics Orion7P with all its limitations and drawbacks.

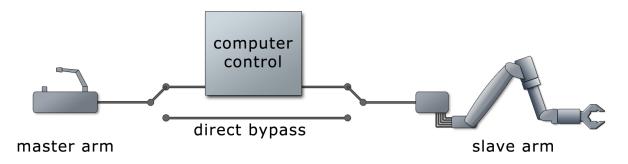


Fig. 1. Control flow in the manipulator system: the Orion7P may be directly controlled (using the bypass) or with a computer controlled middle layer included.

# III. PROPOSED SOLUTION

The proposed method described in this paper addresses the problem by actively compensating for ROV movement with the manipulation system. The method is realtime capable and works without major changes on existing systems, making the integration into existing systems straightforward and easy. Its performance was verified using an Orion7P from Schilling Robotics [9] integrated into the ROV simulator at the underwater testbed of the German Research Center for Artificial Intelligence(DFKI) (for further details see [10]). It is based on the computer control system of the used Orion7P manipulator ([11]), and is designed as intermediate layer between user input and manipulator movement. The compensation algorithm can be divided into three discrete parts: prediction of vehicle movement, calculation of manipulator compensation movement and execution of the compensation movement with the manipulator. Since the control/sampling frequencies of the involved devices do not need to match these three steps run continuously but asynchronously.

The prediction of vehicle movement is based on movement information from the ROV, which can originate from a number of sources: acoustic speed measurement systems like DVL (doppler velocity log), acoustic positioning systems (LBL, SBL or USBL (long- short- or ultra-short-basline systems)), IMU systems (inertial measurement units) or optical positioning systems utilizing camera information and computer-vision algorithms to name just some popular possibilites. The precision of the retrieved data varies greatly among the different systems, and is subject to a number of external noise sources. In order to best utilize this information it is processed using a mathematical model for the motion to estimate the movement vector for the immediate future. The timescale to be estimated into the future depends on the manipulation system's ability to react to changes in movement. The vehicle model used was the simplified control model described in [12]. Together with the input from [13] an estimator was created, yielding the necessary prediction timeframe of roughly one second. Since in the ROV simulator at the DFKI only translational movements can be simulated, the vehicle model was further simplified to a final 3DOF: surge(x), sway(y) and heave(z).

The resulting motion equation is given by equation 1.  $P_e$  represents the estimated position,  $P_t$  is the sensed position,  $V_t$  and  $A_t$  are the momentary speed/acceleration.  $\mu$  and  $\lambda$  are two parameters which can be used to adjust the temporal shift of the estimated position. Even though this model appears to be comparably simple, it is fit to estimate a pure translational continuous movement with high precision.

$$\mathbf{P}_{e} = \mathbf{P}_{t} + \mu \mathbf{V}_{t} \Delta t + \lambda \mathbf{A}_{t} \Delta t^{2}$$

$$\mathbf{P}_{t} = \begin{bmatrix} x \\ y \\ z \end{bmatrix}$$

$$\mathbf{V}_{t} = \begin{bmatrix} x_{t-1} - x_{t} \\ y_{t-1} - y_{t} \\ z_{t-1} - z_{t} \\ v_{yt-1} - v_{yt} \\ v_{zt-1} - v_{zt} \end{bmatrix}$$

$$\mathbf{A}_{t} = \begin{bmatrix} v_{t} - v_{t} \\ v_{t} - v_{t} \\ v_{t} - v_{t} \\ v_{t} - v_{t} \end{bmatrix}$$

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In the next step the manipulator compensation movement has to be calculated. The estimated movement vector  $\mathbf{P}_e(t)$  is subtracted from the initial position  $\mathbf{P}_0$ , which results in the compensation vector  $\mathbf{C}$ . This vector is added to the original manipulator position  $\mathbf{M}_0$  to receive the compensated cartesian manipulator position  $\mathbf{M}_t$ . The whole equation for  $\mathbf{M}_t$  is given in 2. The computation of inverse kinematics (which has been shown to work in realtime for the Orion7P by the authors before, see [11]) for  $\mathbf{M}_t$  results in the joint space position  $\mathbf{J}_t = \begin{bmatrix} \theta_0 & \theta_1 & \theta_2 & \theta_3 & \theta_4 & \theta_5 \end{bmatrix}^T$ . This last step is necessary since the manipulator can only be controlled in joint space. The new joint space position  $\mathbf{J}_t$  is given to the manipulator.

$$\mathbf{M}_t = \mathbf{M}_0 + \mathbf{C} = \mathbf{M}_0 + (\mathbf{P}_0 - \mathbf{P}_e(t))$$
 (2)

The final step involves moving the manipulator to the desired position. For this purpose the current desired position is approached continuouly, and maintained as long as it is valid. A speed controller is used, which controls the joints to move with a speed proportional to their current angle delta. This results in a smooth but fast approach to the desired compensation position of the manipulator. A linear PD-controller is used as speed controller.

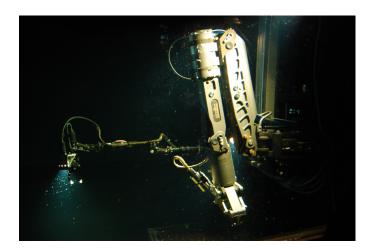


Fig. 2. The experimental setup.

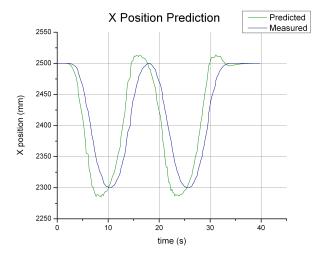


Fig. 3. Measured movement curve for the x axis (blue) and predicted movement (green).

The algorithm is straightforward but expandable to more complex vehicle models (e.g. considering roll, pitch and yaw movements) without overall changes. It results in a considerably dampened end-effector movement when compared to ROV movement. In a noise-free ideal environment the end-effector seems to stand still while the rest of the system moves.

# IV. EXPERIMENTAL RESULTS

A number of experiments were conducted at the underwater testbed of the DFKI using the hardware ROV simulator. It consists of a 3d gantry crane installed over a  $20m^3$  water basin. Attached to this gantry crane is the hydraulic underwater manipulator Orion7P, a number of cameras, light spots and other instruments commonly found on work-class ROV systems. The setup tries to resemble the front section of a ROV, which can be positioned with high accuracy in all three transational directions by the gantry crane. An image of the system showing the Orion7P and the tip of the gantry crane can be seen in figure 2. The experiments involved moving

TABLE I
COMPARISON OF COMPENSATION PERFORMANCE FOR DIFFERENT
MOVEMENT PATTERNS AND SPEEDS

Movement radius (x/y/z)[cm]	Speed [cm/s]	Deviation [cm]
20 / 20 / 0	20	x 7.74 y 6.85 z 2.02
20 / 20 / 10	10	x 3.3 y 2.53 z 0.99
20 / 20 / 0	10	x 3.55 y 2.9 y 0.59
20 / 20 / 0	5	x 1.49 y 1.69 y 0.27
20 / 20 / 10	5	x 1.66 y 1.62 y 0.37
10 / 10 / 10	10	x 2.97 y 2.73 y 2.56
10 / 10 / 10	5	x 1.59 y 1.27 y 0.98
10 / 10 / 10	2	x 0.8 y 0.5 y 0.33

the gantry crane in a sinuoid trajectory resembling ROV movement. The sinoid trajectory can be considered as a 'worst-case' scenario, due to the constant acceleration and decelration of the overall system. Therefore it is a valuable benchmark for system performance. Amplitude and Frequency for the testing trajectories have been selected to be in the same order of magnitude and shape as were used by [13]. Movement radii between 0 and 20 cm with speeds of 2-20 cm/s were used. The gantry crane is able to move at much higher speeds, but such movements seem inadequate for the selected scenarios, where speeds below 10 cm/s are expected.

The position update frequency was estimated to be rather low, since most of the previously desribed movement measurement methods have low sampling rates. The consequence is that the estimation will not be able to handle high-frequency movements or extreme amplitude changes. This is not considered to be a major problem, since the use-case for this algorithm does not allow for more extreme movement profiles. For the experiments an update rate of 5 Hz was used.

The performance of the position predictor is shown in figure 3. As expected it shows some overshoot in areas of movement direction inversion and some ripple noise. The performance strongly resembles the results obtained in [13], supporting the correctness of our simplified prediction model. The ripple noise mainly originates in the acceleration part of equation 1, which led to the idea of filtering the acceleration using an infinite-response filter with a window width of 5. This strongly reduced the ripple without harming the dynamic properties of the controler. The experimental results for the complete compensation algorithm are summarized in table III. All movement trials were conducted using the same, previously optimized set of  $\mu/\lambda$  parameters. As expected, the performance

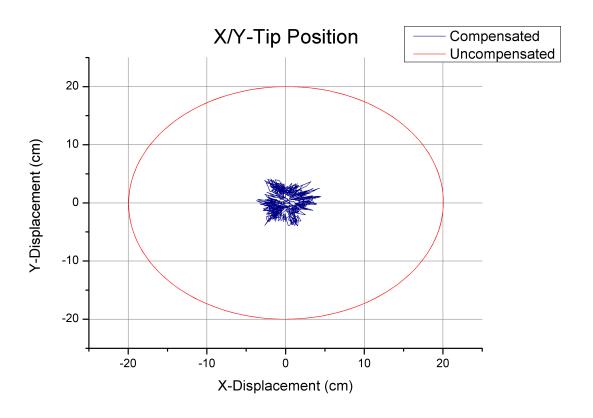


Fig. 4. Plot of the tip displacement while compensating a 20/20/0 cm movement with a 5 cm/s speed. Overlaid is the movement without compensation.

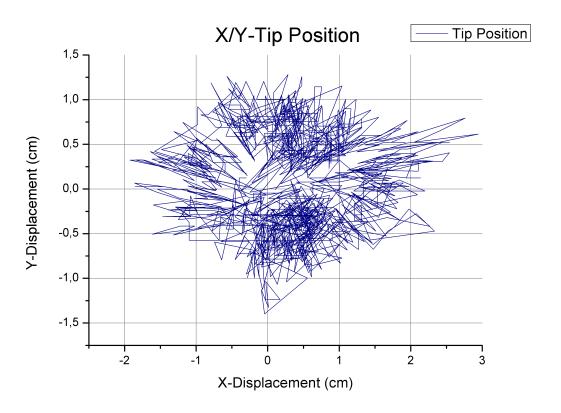


Fig. 5. Plot of the tip displacement while compensating a 10/10/10 cm movement with a 2 cm/s speed

# X/Y/Z-Tip Position

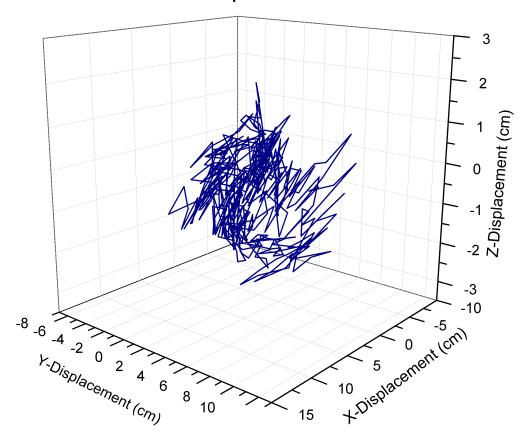


Fig. 6. 3d plot of the tip displacement while compensating a 20/20/10 cm movement with a 10 cm/s speed

of the motion compensation is directly dependant on movement speed. Interestingly the movement magnitude seems to affect the performance as well, while speed has much stronger impact than magnitude. This is attributed to the fact, that for the higher magnitudes the manipulator reaches the boundaries of its workspace, resulting in extreme joint positions and the decreased accuracy attributed to such configurations. For a reasonable speed of 5 cm/s and movement magnitudes between 20 and 10 cm a position deviation lower than 1.7 cm could be achieved, which can even be reduced to below-cm accuracy when operating at 2 cm/s. These accuracies lie well inside the movement accuracies of the Orion7P manipulation system, and are not expected to be significantly improvable without modifications to the system. In any case it is not possible with the supplied master-arm to move an ORION 7P with such precision. The tip position deviation is shown in figures 5 and 6. In order to give a scale for comparison, figure 4 shows the compensated tip position vs. the uncompensated tip position.

#### V. Conclusion

A complete ROV movement comensation algorithm was impelemented, and its effectiveness shown in a number of experiments on a hydraulic deep-sea manipulator. The resulting movement compensation accuracy of under 1 cm is unparallelled for an unmodified ROV-manipulation system. The robustness of the proposed algorithm was tested by greatly increasing the movement speed beyond the expected magnitues without increasing the compensation deviation disproportionately.

In order to compare the performance of the compensation system to the performance of human operators, a series of trials involving a number of differently proficient manipulator operators is planned. It is expected to provide valuable comparison data. Future work will include testing the compensation algorithm with real ROV trajectories obtained by a FOG-system (fiber-optic gyro). A number of real system tests are also scheduled, where the system will run on an actual work-class ROV. The movement model will be adapted to incorporate roll, pitch and yaw movement prior to these trials. Future work will also include the coupling of a ROV station keeping algorithm with our proposed movement compensation method,

in order to further improve the effectiveness of this operator support system. Since the Orion7P manipulator used in our ROV simulator has a wrist-camera, another idea to increase the accuracy of the motion compensation is to incorporate movement information obtained using optical-flow based algorithms on the wrist-cam image. This should improve the performance especially at higher speeds or during movements which the vehicle movement model does not account for.

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